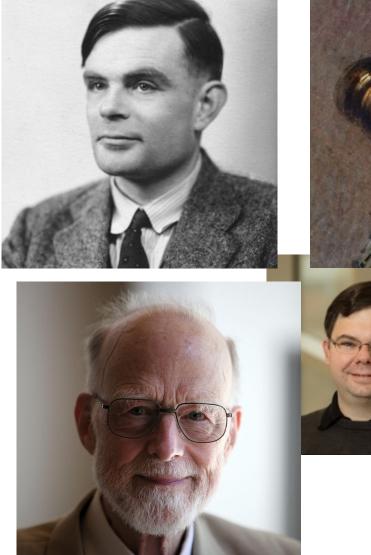
CS 4102: Algorithms Lecture 1: Introduction and Logistics

Co-instructors: Robbie Hott and Tom Horton (These are slides for Horton's section) Spring 2020

Who's Who in Algorithms?

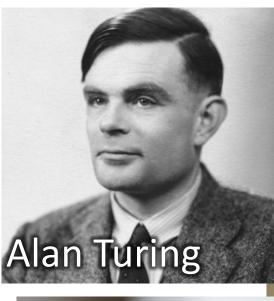








CS4102 Algorithms Spring 2020





Donald Knuth

Edsger Dijkstra

Tom Horton

Al-Khwarizmi

Gauss.

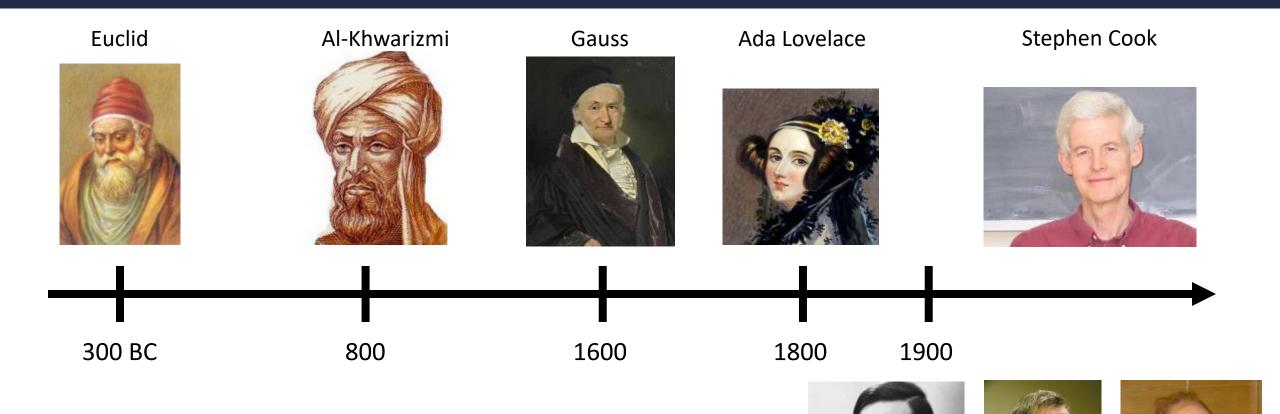
Robbie Hott

Tony Hoare

Robert Tarjan

Stephen Cook

A Historic Perspective





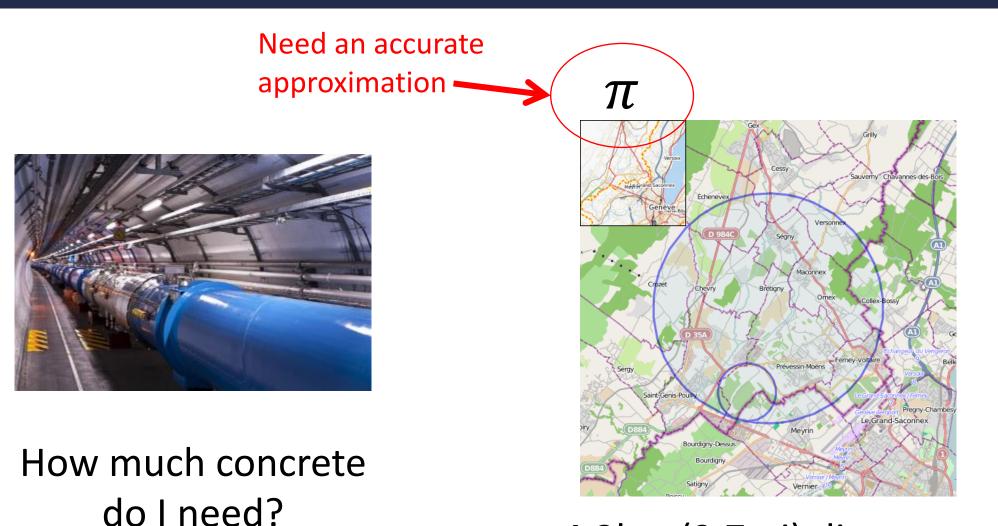
What Is an Algorithm?

- In mathematics and computer science, an algorithm is a finite sequence of well-defined, computer-implementable instructions, typically to solve a class of problems or to perform a computation. Algorithms are unambiguous specifications for performing calculation, data processing, automated reasoning, and other tasks. [Wikipedia Jan 2020]
- An algorithm is a step by step procedure to solve logical and mathematical problems. [Simple English Wikipedia Aug 2019]

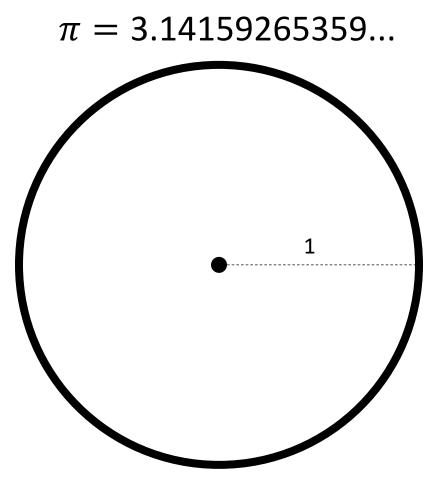
Motivating example

Takeaway: Being <u>unambiguous</u> is not always easy!

A Concrete Example

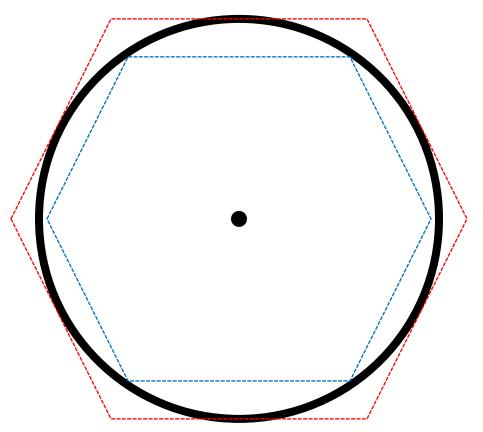


4.3km (2.7mi) diameter

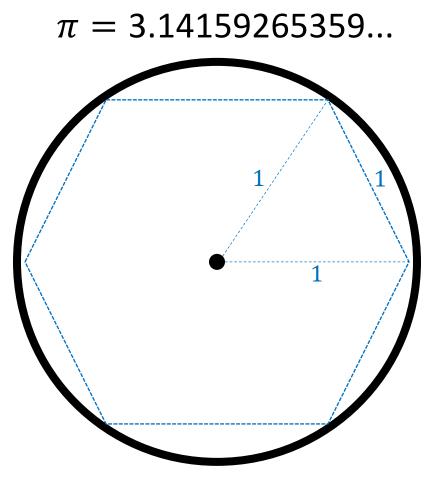


Circumference = 2π

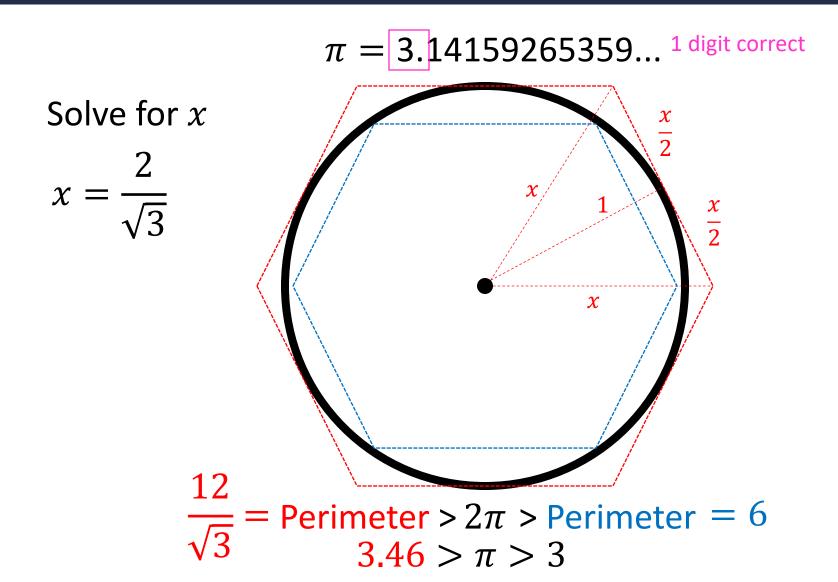
$\pi = 3.14159265359...$

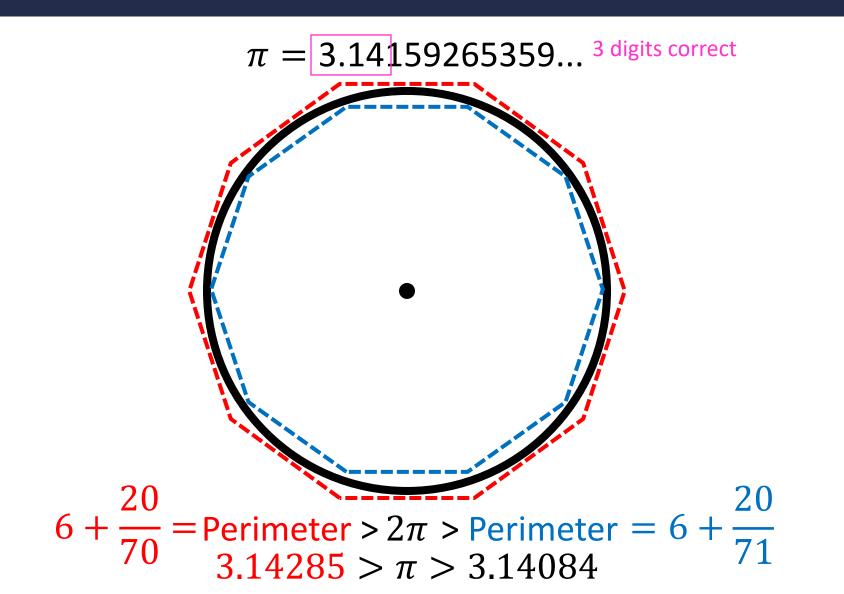


Perimeter > 2π > **Perimeter**



 2π > Perimeter = 6

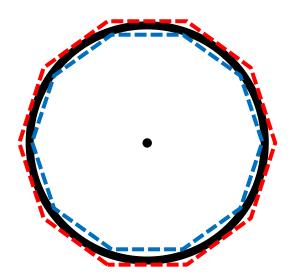




Some Questions to Ask?

How fast do we "converge?"

How much work is needed to do better?



Using this approach, we get $\frac{1}{2}$ digit of π with each additional side – to get n digits, we need a polygon with 2n sides

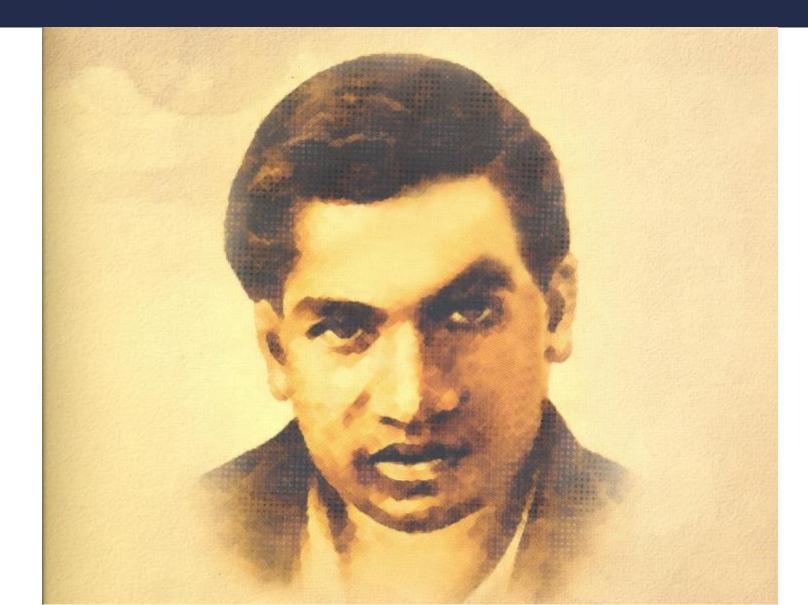
Another Algorithm

https://youtu.be/HEfHFsfGXjs

Extra credit: Look up and explain the solution!



Better π Approximation



Better π Approximation (Ramanujan Series)

$$\frac{1}{\pi} = \frac{2\sqrt{2}}{9801} \sum_{k=0}^{\infty} \frac{(4k)! (1103 + 26390k)}{(k!)^4 \ 396^{4k}}$$

 $\pi = 3.14159265358979323846264338327950288419716939937510582097494...$

k = 0 $\pi \approx 3.1415927$

8 digits per iteration!

$$k = 1$$

 $\pi \approx 3.141592653589793$

Better π Approximation (Ramanujan Series)

$$\frac{1}{\pi} = \frac{2\sqrt{2}}{9801} \sum_{k=0}^{\infty} \frac{(4k)! (1103 + 26390k)}{(k!)^4 \ 396^{4k}}$$

Ramanujan series are the basis for fastest algorithms for computing π

 $k = 0$

 $\pi \approx 3.1415927$

8 digits per iteration!

 $k = 1$

 $\pi \approx 3.1415926535897938$

Goals

Create an awesome learning experience

Instill enthusiasm for problem solving

Give broad perspective on computer science

Have fun!

Warning

This will be a very <u>difficult</u> class

- Hard material
- "Holy grail" of computer science
- Useful in practice
- Job interviews

Lots of opportunities to succeed!

Hopefully not you...

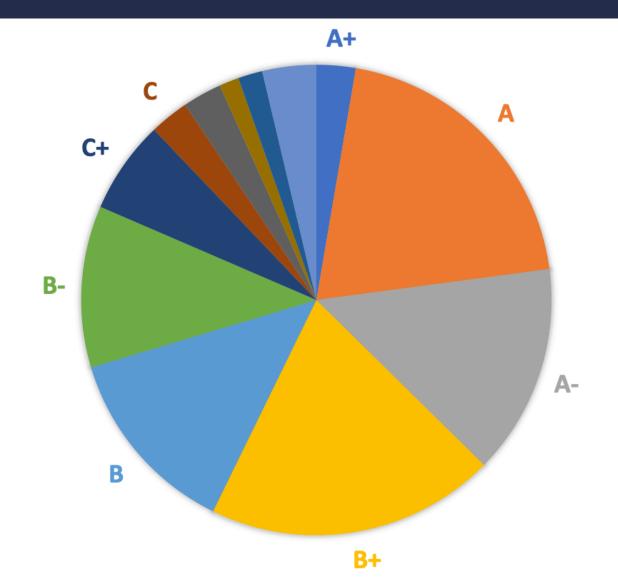


I Quit!

Recent CS4102 Comments

- Although I hated discrete math and theory of computation, this class was one of my favorites I have taken as a CS major.
- Algorithms can be a boring subject, but [they] introduce complex problems in class which makes it fun to follow along with. I thoroughly enjoyed the homework assignments although they were VERY difficult. It was nice to collaborate with my friends. We actually had some fun doing the assignments.
- I just have so say, I both love and hate this class at the same time. I hate that this class seemed to take up my life and I saw my group members and TA's more than my friends this semester, but I LOVE the professors who taught this class.
- The material taught in the class is very very relevant. During my coding interviews, I was asked material that was presented in class.
- I loved this course! It honestly was not as bad as some people say with regards to content or time commitment.
- This class is just hard and time consuming.
- This was a challenging yet extremely rewarding course, as I feel that I have learned so much that I will use in my future career in computer science.

While Difficult, Students Have Done Well...



Co-Instructors





Prof. Hott Rice 210

Prof. Horton Rice 401

Office Hours TBD! Wait for announcement! See Google Calendar for TA office hours



All course materials available on **Collab**

Including syllabus, resources, slides, HWs, etc. (See Syllabus for statements on policies, most covered here in these slides.)

Course website? Yes, see link on Collab Piazza for student questions? Yes, through Collab Anonymous feedback? No....

Requirements

Discrete Math (CS 2102)

Data Structures (CS 2150) with C- or higher

Derivatives, series (Calc I)

Tenacity

Inquisitiveness

Creativity

Note: CS2150 pre-req taken seriously. Don't meet it? Need approval or you will be dropped (after add deadline). 🛞

"Learning Sources"

From what sources will you learn?

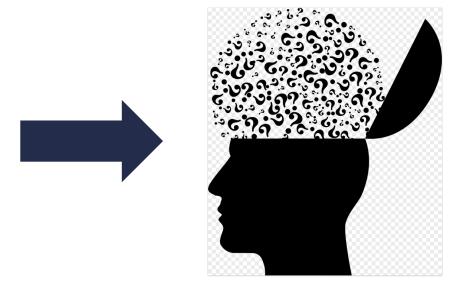
What I say in Lectures

What you get from the slides

Explanations & details you read

Activities you do in/out of class

Assignments



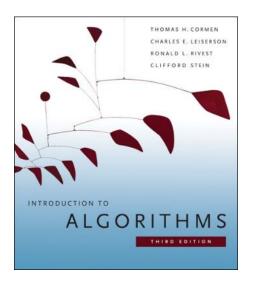
- All of these are important.
- Realistically, IMHO it's impossible to get all the "book knowledge" from lectures and slides!

Textbook

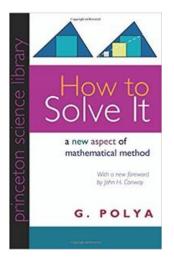
You <u>should</u> read and study material other than the slides.

There are options, but a textbook is the easiest option.

I'll post readings from CLRS, urge you to read them or get that info from another source. **Note:** We will also have some resources posted on Collab site.



Also recommended (but not a primary source)



Cormen et al. (CLRS) *Introduction to Algorithms*. Third Edition. Polya. How to Solve It.

Textbook

You <u>should</u> read and study material other than the slides.

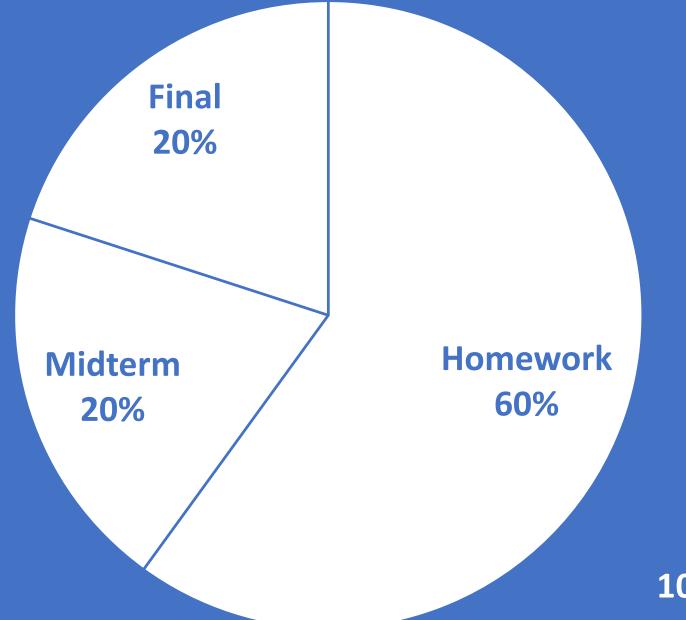
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Cormen et al. (CLRS) *Introduction to Algorithms*. Third Edition. Polya. How to Solve It.

Grade Breakdown



10% Extra Credit

Homework

10 assignments total

Mix of written and programming assignments

Written:

- 2/3 of all assignments
- Must be typeset in LaTeX (tutorial is HWO)
- Submit a **pdf** and a **zip** folder containing tex file and any supplements
 - Submissions without **both attachments** (pdf, zip) will **not** be graded

Programming:

- 1/3 of all assignments
- Must implement in **Python** or **Java**

Homework 0

Homework 0 is out!

- Learning LaTeX
- You MUST submit both:
 - A zip with your .tex and image
 - A PDF of the final document
- Due next Tuesday (but don't wait that long!)

Academic Integrity

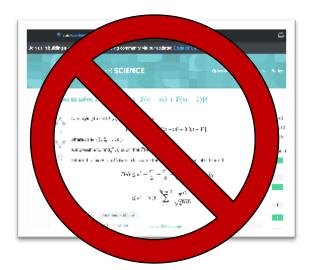
Collaboration Encouraged!

- Groups of up to 5 per assignment (you + 4)
- List your collaborators (by UVA computing ID)

Write-ups/code written independently

- DO NOT share written notes / pictures / code
- DO NOT share documents (ex: Overleaf)
- DO NOT share debugging of code

Be able to explain any solution you submit! DO NOT seek published solutions online



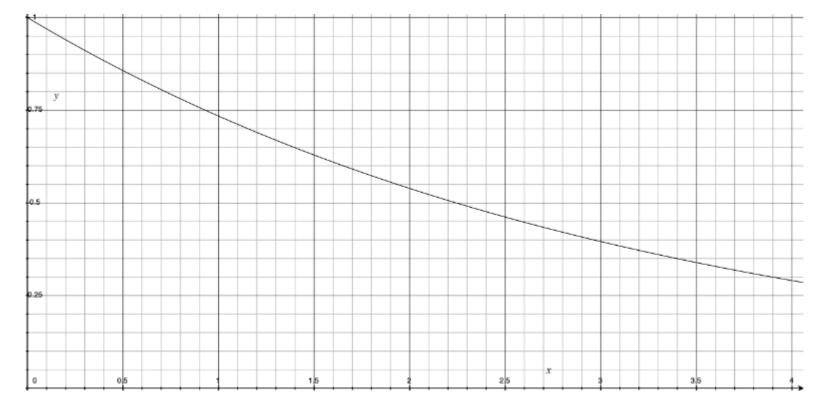


Late Policy

grade = grade_{earned}
$$e^{-\frac{1}{2\phi}}$$
days

Exponential decay, accepted until solutions posted

Extra credit: name the radioactive isotope with half-life closest to your homework



Exams

Midterm

- Weds., March 4 (right before spring break)
- In-class / take-home hybrid

Final

- Registrar's official date/time (All sections COMBINED)
- Saturday, May 2, 7-10pm
- Room TBD

Regrades

Conducted in person with course staff

- Time and Location: TBD
- By appointment
- Limited to 2 weeks after grades released

Extra credit

Given for extraordinary acts of engagement

- Good questions/comments
- Quality discussions
- Analysis of current events
- References to arts and music
- Extra credit projects
- Slide corrections
- Etc. Just ask!

Email: extracredit.cs4102@gmail.com

Feedback

We professors are not course dictators, more like civil servants.

I'm open to any suggestion to help you learn.

Let me know!

- In person
- Piazza
- Email (<u>horton@virginia.edu</u>)
 - PLEASE: put CS4102 in subject line of all emails

Attendance

How many people are here today?

Naïve algorithm

- Everyone stand
- Professor walks around counting people
- When counted, sit down

Time Complexity?

- Class of *n* students
- *O*(*n*) "rounds"

Other suggestions?

(How can we compare different approaches?)

Better Attendance

- 1. Everyone Stand
- 2. Initialize your "count" to 1
- 3. Greet a neighbor who is standing: share your name, full date of birth (pause if odd one out)
- If you are older: give "count" to younger and sit. Else if you are younger: add your "count" with older's count

5. If you are standing and have a standing neighbor, go to 3

Better Attendance

Requires $O(\log n)$ "rounds"

- 3. Greet a neighbor who is standing: share your name, full date of birth (pause if odd one out)
- If you are older: give "count" to younger and sit. Else if you are younger: add your "count" with older's count

5. If you are standing and have a standing neighbor, go to 3